

Discussion of the article by  
C. Parlour, U. Rajan and J.Walden  
Payment System Externalities

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Bundesbank Conference Sept 10-11, 2020

# Motivation of the paper

- Interbank payments have become huge: roughly 50 times GDP in advanced countries.
- These payments generate interbank obligations.
- The main insight provided by this paper is  
**«a bank may restrict its own lending because it needs to hold liquidity against claims issued by another bank”.**

# What the paper does

- Studies the consequences of this “liquidity externality”, which seems to have been overlooked so far.
- Builds a simple model where banks have a dual role:
  1. Lend to entrepreneurs who need inputs produced in other regions;
  2. Provide payment services to households and entrepreneurs.

The latter consists in settling the inter-regional payments between entrepreneurs and their «foreign» suppliers.

# The Model

- Central bank issues (exogenous) currency volume  $C$  to each household, which is deposited in a bank.
- $N$  regions consisting each in two geographical «zones»  $i=l,h$  with different outsourcing propensities  $\alpha_l < \alpha_h$ .
- Each zone has mass one continuum of competitive entrepreneurs and households but only one bank who grabs all the surplus.
- Each bank issues «fountain pen» money by lending to entrepreneurs, which they use to buy inputs from domestic and foreign households.

# The Model (2)

Fraction  $\lambda$  of households withdraw early: banks have to keep liquid reserves, which can be traded on an interbank market.

Credit multiplier in autarky:

ASSETS	LIABILITIES
Cash Reserves $C$	Initial deposits $C$
Loans $b$	New deposits $b$

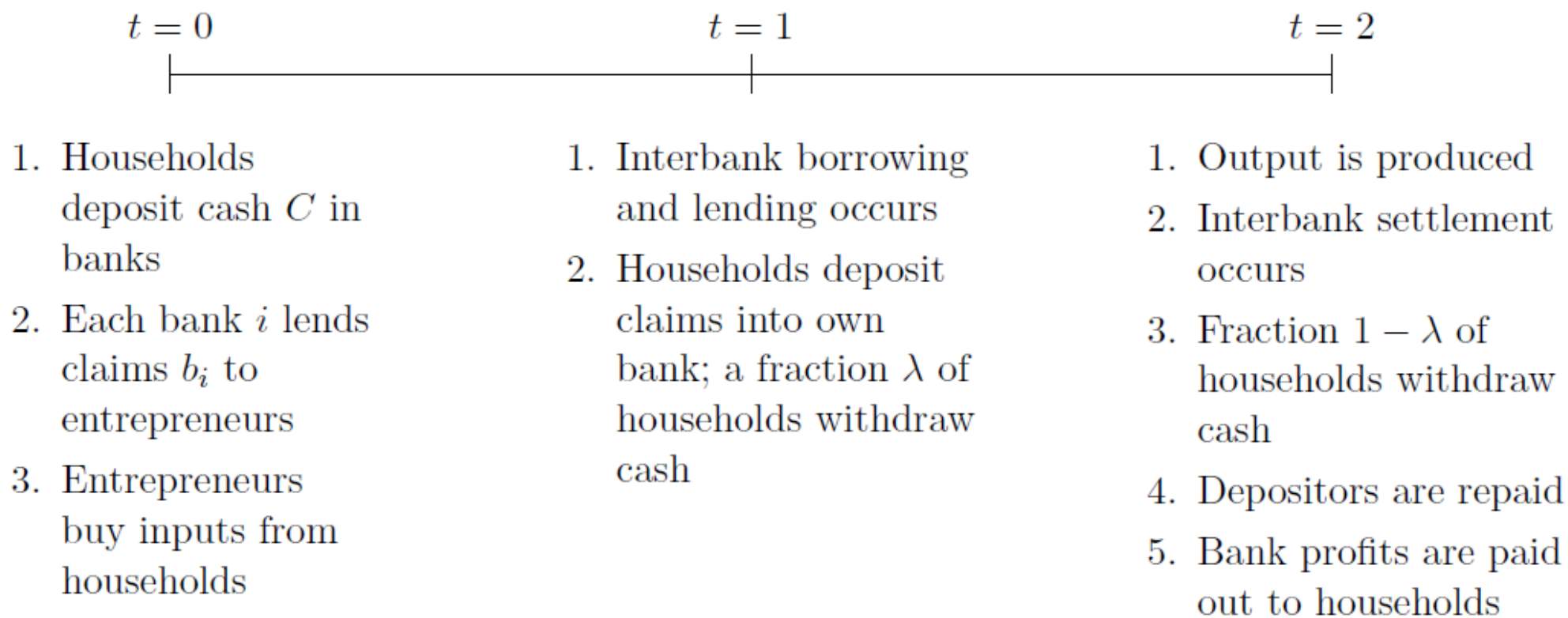
Liquidity constraint:

$$C \geq \lambda(b + C)$$

Thus

$$b \leq I = \frac{1-\lambda}{\lambda}C$$

# Timing



# The decisions of the banks

Two kinds of interbank flows:

- payments related to interbank loans : zero cost (WHY?).
- payments related to the settlement of «foreign» transactions of their customers: unit cost  $\tau$  (fees, collateral) paid by sender.

Profits of the banks  $\pi_i = f(b_i) - b_i - rz_i - \tau \max\{\alpha_i b_i - \alpha_{-i} b_{-i}, 0\}$ .

Liquidity constraint:  $z_i \geq \lambda((1 - \alpha_i)b_i + \alpha_{-i}b_{-i} - I)$

$z_i$  : borrowing/lending on interbank market.

# Efficient outcome (second best)

Planner maximizes total output, net of transaction costs

$$\max_{\{b_h, b_\ell, z_h, z_\ell\}} f(b_h) + f(b_\ell) - b_h - b_\ell - \tau|\alpha_h b_h - \alpha_\ell b_\ell|.$$

Under equilibrium and liquidity constraints:

$$z_h + z_\ell = 0$$

$$z_h \geq \lambda \left( (1 - \alpha_h) b_h + \alpha_\ell b_\ell - I \right)$$

$$z_\ell \geq \lambda \left( (1 - \alpha_\ell) b_\ell + \alpha_h b_h - I \right)$$

Adding up these liquidity constraints gives the resource constraint:

$$0 \geq \lambda(b_h + b_\ell - 2I)$$



# When $\tau = 0$ (no transaction costs)

- Optimum allocation (first best): maximizes output under resource constraint

$$b_h = b_l = I$$

- Market equilibrium: Each bank maximizes its profit

$$\pi_i = f(b_i) - b_i - r\lambda[(1 - \alpha_i)b_i - \alpha_{-i}b_{-i} - I]$$

First order condition:  $f'(b_i) = 1 + b_i + r\lambda(1 - \alpha_i)$

Since  $\alpha_l < \alpha_h$  this implies  $b_l < I < b_h$ .

- Externality implies that market equilibrium is **skewed towards the high outsourcing zone h.**

# Efficient outcome when $\tau > 0$ (second best)

- The second best allocation of lending is **skewed toward the low outsourcing zone**  $l: b_h^S < I < b_l^S$ .
- When  $\tau$  is high: no net transfers; total investment allocated in inverse proportion to outsourcing propensities (e.g. if  $\alpha_l = 0$ , zone  $l$  gets all the funds).
- When  $\tau$  is small, there are costly transfers: the low outsourcing zone gets more than the high outsourcing one

# Market equilibrium

- Central bank sets interbank rate  $r$ .
- Each bank chooses loans to firms and lending/borrowing on interbank markets to maximize profit under liquidity constraint (Nash Equilibrium).

## **Proposition 3:**

- **There is a unique interest rate at which the interbank market is balanced.**
- **At this rate, bank  $h$  lends too much (w.r.t. the second best) and bank  $l$  lends too little.**

# Comparative Statics

The authors focus on the case where  $\alpha_h$  is large.

## **Proposition 4:**

**When  $\tau$  decreases:**

- **In the second best allocation, the lending gap between the two regions decreases.**
- **In the equilibrium allocation, the lending gap increases.**

Policy implication: if the central bank reduces  $\tau$  (CBDC?) this will increase the inequality between regions.

# Comments/Suggestions

- Very interesting problem, very elegant model, very neat results.
- Pigou: The central bank could tax or subsidize payments so that the externality is internalized. Is that possible?
- Would CBDC be a win-win solution in this case ?
- Monetary policy: instead of requiring that the interbank market is balanced, the central could inject/withdraw reserves and set the interest rate that maximizes welfare.
- What is the intuition behind the increasing gap result in the market equilibrium? What happens when  $\tau$  vanishes?

# Question

- I do not see why transaction costs are zero on interbank loans.
- The observation that they represent a small fraction of interbank payments is not an argument because costs are proportional.
- It is true that consumer payments are larger, more dispersed and volatile but isn't the cost passed through to consumers?
- What would happen if  $\tau$  was incurred on all payments?